

Topics in this cycle:	Taught: Autumn 2	Year Group: 8
Key knowledge/concepts to be learnt ('Tell me about....')		Websites/blogs/YouTube links and further reading to deepen and consolidate learning
<p>Working in the Cartesian plane:</p> <ul style="list-style-type: none"> • Coordinates • Draw horizontal and vertical lines • Recognise and use $y = x$ line • Explore gradient of $y = kx$ and link it to direct proportion • Explore graphs in form $y = x + c$ and $y = -x + c$ • Plot lines in form $y = mx + c$ <p>Representing data:</p> <ul style="list-style-type: none"> • Scatter graphs • Scatter graphs • Identify different types of data • Frequency tables (ungrouped data) • Frequency tables (grouped data) • Represent grouped discrete data • Represent continuous data grouped into equal classes • Two-way tables <p>Tables and probability:</p> <ul style="list-style-type: none"> • Sample space • Probabilities from two-way tables • Probabilities from Venn diagrams 		<p> https://vimeo.com/468128782 https://vimeo.com/468129042 https://vimeo.com/468129575 https://vimeo.com/474984412 </p> <p> https://vimeo.com/477518878 https://vimeo.com/478901964# https://vimeo.com/481136693 https://vimeo.com/466558990 </p> <p> https://vimeo.com/483973328 https://vimeo.com/483973037 https://vimeo.com/483972889 </p>

Key Vocabulary and Definitions To Be Learnt		What Will The Assessment Look Like?
Variable	A number we do not know and use an alphabetic letter for	<p>Please follow the link to a full breakdown of topics covered in November assessment.</p> <p>Link:</p> <p>You may also want to try some samples of questions:</p> <p>Link:</p>
Coordinates	A set of 2 numbers that denote a point on a coordinate grid	
Correlation	Relation between two categories, i.e shoe size and height of a person	
Line of best fit	A straight line drawn on a Scatter Graph to show correlation	
Outlier	A piece of data that vary from the rest of data	
Discrete data	Numerical data that takes particular values only. i.e. number of apples, shoe sizes	Family Learning Opportunities
Continuous data	Numerical data that can take any values, i.e. height, distance	<p>Support you child at busting XP levels on SPARX MATH HOMEWORK.</p> <p><u>Test understanding by asking questions:</u></p> <p><u>Working in the Cartesian plane:</u></p> <ul style="list-style-type: none"> <u>Coordinates in all four quadrants:</u> What is the same and what is different about the points with coordinates (a, 0) and (-a, 0)? Why are coordinates (a, 0) and (0, a) different? Why do the order of the numbers in coordinate matter? Where is the origin? <u>Lines parallel to the axes:</u> Is the line $2 = x$ the same as $x = 2$? What about $x - 2 = 0$? Is $x = 0$ the same as y-axis? How do you know? Will the line $x = \dots$ and $y = \dots$ ever meet? Why or why not? <u>Recognise and use the line $y = x$:</u> Is the graph $y = x$ the same as $y = -x$? Why? Why are the scales on axis important when plotting graphs? <u>Recognise and use lines $y = kx$:</u>
Qualitative data	Non-numerical data, i.e. eye colour, preferences	
Quantitative data	Numerical data, i.e. number of students, time taken to get to school	
Sample space	All the possible outcomes from an experiment	
Gradient	Is the steepness of a line	
Linear	A sequence is linear when its values are represented by a straight line graph	
Axis	A numbered line	
Origin	A point where x and y axes meet	
Horizontal position	Is flat and levelled with the ground	
Vertical position	Is along a vertical direction (the plumb line direction)	

		<p>What is the same and what is different about the lines $y = kx$ and $y = x$? Do all lines in form $y = kx$ form a straight line and go through the origin? Why or why not?</p> <ul style="list-style-type: none"> • <u>Direct proportion using $y = kx$:</u> How would you know if a straight line or a table represent proportion? What are the key features? What is a conversion graph and how can information be obtained from it to answer questions? Why do direct proportion graphs always start from (0, 0)? • <u>Lines of the form $y = x + a$:</u> What is the gradient of a line $y = a + x$? Is $a - x = y$ the same as $x + y = a$? Explain • <u>Graphs with negative gradients:</u> How can you identify whether a plotted straight line has a positive or negative gradient? • <u>Linking graphs and sequences:</u> What is the same and what is different about linear graphs and linear sequences? How could we label the x-axis on the graph to show the position of the n-th term in the sequence? Will the gradient of the straight line representing a descending linear sequence be positive or negative? Explain your answer. • <u>Plotting $y = mx + c$ graphs:</u> Why is it a good idea to use three coordinates when plotting a straight line graph? Can you use non-integer x values in your table to generate sets of coordinates? <p><u>Representing data:</u></p> <ul style="list-style-type: none"> • <u>Draw and interpret scatter graph:</u> How do we use data to produce a scatter graph? How can you tell if a correlation is positive or negative? Can you give some real-life examples of positive and negative correlations? How are these same or different? What do you need to consider when drawing the line of best fit? • <u>Identify different types of data:</u>
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